## Atomic Hong－Ou－Mandel effect

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## Outline

(1) Quantum Optics with light
(2) $\rightarrow$ HOM effect with photons
(3) Quantum Optics with atoms
(4) $\rightarrow$ HOM effect with metastable helium atoms
(5) Conclusion and perspectives

## Quantum Optics with light

## Quantum optics

- Effects involving at least two particles
- Hong-Ou-Mandel experiment (1987): milestone two-particle interference experiment
- HOM effect: a "last" step before entanglement criteria (e.g. Bell's inequality)
- HOM setup: building block for quantum information processing


## 2 photons +1 beam-splitter: 4 possibilities

- 2 distinguishable photons

| $\stackrel{\alpha}{\stackrel{\tau}{i}}$ | $\stackrel{o}{\stackrel{\alpha}{\text { Rr }}} \underset{\sim}{c}$ |
| :---: | :---: |
| $\begin{aligned} & \stackrel{\text { tR }}{0} \\ & \Leftrightarrow D^{2} \end{aligned}$ | $\hat{D}_{\mathrm{RT}}^{\mathrm{RT}}$ |

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$$
P_{c d}=\frac{1}{4}+\frac{1}{4}=\frac{1}{2}
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|  |  |
| :---: | :---: |
| $\underset{\rightarrow D e}{ }$ |  |

$$
\begin{gathered}
\text { - } P_{c d}=\left|A_{T T}+e^{i \pi} A_{R R}\right|^{2}=0!! \\
\left|\Psi_{\text {in }}\right\rangle=|11\rangle,\left|\Psi_{\text {out }}\right\rangle=|20\rangle+|02\rangle
\end{gathered}
$$



FIG. 1. Outline of the experimental setup.
Need beam-splitter, pin-hole, spectral filters, photon-counter, coincidence counts, path delay

Two-photon interference


The 'HOM dip' for indistinguisable photons works for 2 independent photons but experiment easier with pairs of photon

Hong Ou Mandel: striking 2-particle effect for input state of one particle per input beam

## Quantum Optics with ultra-cold atoms

## Pro-Cons

- Another platform for quantum information
- More degrees of freedom (internal state, boson/fermion)
- Controllable, tunable and strong non-linearity
- Purity of the state
- . Manipulation (mirrors, beam-splitter, pin-hole, vacuum...)


## Atomic Hong-Ou-Mandel effect

## What do we need for the atomic analogue?

- An atom: metastable helium
- The ability to detect single particles: micro-channel plates
- An source of pairs: lattice-assisted collision
- Mirror, beam-splitter, pin-hole, interference filters: 2-photon Bragg diffraction + 3D capability of the detector

Let's go!

## Quantum atom optics with metastable helium (He*)

## Specificities of $\mathrm{He}^{*}$

$2^{3} \mathrm{~S}_{1}$ : metastable helium (life-time of $\sim 2 \mathrm{~h}$ ): He *


- Laser cooling at $1.08 \mu \mathrm{~m}$
- 2001: Bose-Einstein Condensate of $\sim 10^{5}$ atoms
- High internal energy $\Downarrow$
- Electronic detection by micro-channel plates (MCP)


## The detector

- Cloud released from the trap $\rightarrow$ atoms fall 50 cm to detector (300 ms fall time)
- MCP: low-noise electronic amplifier
$\Rightarrow$ sensitive to single atom (quantum efficiency $\sim 25 \%$ )
- 3D detector: $x, y$ and $t$ (resolution $140 \mathrm{~ns}, 250 \mu \mathrm{~m}$ )
$\Rightarrow$ Measurement of $\vec{v}$
$\left(x_{0}+v_{0} t \approx v_{0} t\right)$
- Measurement of distribution $\rho(\overrightarrow{\mathbf{v}})$
- Measurement of 2-body correlation $G^{(2)}\left(\vec{v}, \overrightarrow{v^{\prime}}\right)$ $g^{(2)}=\frac{G^{(2)}\left(\vec{v}, \vec{v}^{\prime}\right)}{\rho(\overrightarrow{\mathbf{v}}) \rho\left(\mathbf{v}^{\prime}\right)} \neq 1 \Leftrightarrow$ correlation



## Lattice-assisted collisions

## Dynamical instability of a BEC in a moving optical lattice



```
elastic collision between
two atoms of the condensate:
k
\(k_{0}+k_{0} \rightarrow k_{1}+k_{2}\)
```

Hilligsøe \& MøImer, PRA 71, 041602 (2005)
Campbell et al., PRL 96, 020406 (2006)

## Momentum distribution



## M. Bonneau et al, Phys. Rev. A 87, 061603(R) (2013)

## Tunability

Control over the output modes
Control over the population


solid line: single-particle prediction dashed line: mean field

## Pairs of atoms

## Atom pairs

- Pairs of atoms $\checkmark$
- Detection $\rightarrow G^{(2)}$
- +sub-Poissonian variance \& violation of Cauchy-Schwarz inequality
- Beam-splitter (BS)
- 2 photon Bragg diffraction
- 2 laser beams $(\Delta \mathbf{k}, \Delta \omega)$
- Resonant for $\mathrm{p}_{a}=\mathrm{p}_{b}+\hbar \Delta \mathrm{k}$ and $\frac{p_{a}^{2}}{2 m}=\frac{p_{b}^{2}}{2 m}+\hbar \Delta \omega$.
- Transmission coef. $\leftrightarrow$ duration


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- Ready to go for HOM!


## The experimental sequence



- $t_{0}$ : Lattice switched on
- $t_{1}$ : Trap switched off
- $t_{2}$ : Bragg in mirror mode
- $t_{3}$ : Bragg in BS mode ( $t_{3}-t_{0} \sim 1 \mathrm{~ms}$ ) exact timing of $t_{3}$ control the overlap
- $t \sim 300 \mathrm{~ms}$ : Detection by MCP

Mirror and beam-splitter by Bragg diffraction

## The result: Cross-correlation $G_{c d}$ in function of BS application time


$\tau=t_{3}-t_{2}$ : scan of the overlap
Visibility : $V=\frac{G_{\text {max }}^{(2)}-G_{\text {min }}^{(2)}}{G_{\text {max }}^{(2)}}$

- DIP !!, with visibility of $V_{\text {exp }}=0.65 \pm 0.07$
- Dip not allowed for classical particles
- but with (matter-)waves ?
- not either since visibility $>0.5$ (red area)
- $\Rightarrow$ 2-atom interference
atomic Hong Ou Mandel effect!
$\rightarrow$ Lopes et al, Nature 520, 66 (2015)


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## Non-zero dip

- atoms could be not totally indistinguishable
- $\rightarrow$ unlikely

Indistinguishable particles $\rightarrow V_{\max }=1-\frac{G_{a a}^{(2)}+G_{b b}^{(2)}}{G_{a a}^{(2)}+G_{b b}^{(2)}+2 G_{a b}^{(2)}}$
Measurement of $V_{\max }$ with same sequence except mirror and
beam-splitter non applied : $V_{\max }=0.6 \pm 0.1$
$V_{\exp } \approx V_{\text {max }}:$ atoms indistinguishable up to our signal to noise

- OR input state is not exactly one atom per beam
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## Conclusion and perspectives

## Observation of the Hong-Ou-Mandel effect

- (-)
Benchmarks our ability to make 2-particle interference
- Benchmarks our source (modes with similar wave-functions)
-     - ~ 10 hours integration time for each point in HOM plot... see also Kaufman et al, Science 345, 306 (2014)


## Perspectives: EPR paradox and Bell's inequality

- State of our source $|\Psi\rangle=\int d k_{1} d k_{2} A\left(k_{1}, k_{2}\right)\left|k_{1}, k_{2}\right\rangle$
- The phase of $A\left(k_{1}, k_{2}\right)$ matters for EPR and Bell!
- EPR: A. J. Ferris, Phys. Rev. A 79, 043634 (2009) $\rightarrow$ Homodyning the 2 atoms with condensate, measurement of atom number variance
- Bell: R. J. Lewis-Swan, K. V. Kheruntsyan, arXiv: 1411.019 (2014). $\rightarrow$ Need 4 modes, mixing 2 by 2 on beam-splitter, measurement of 2-body corr.

